Creating an Adaptive Network of Hubs Using Schelling's Model

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Distributed Systems GROUP



- . Peer-to-Peer
- Schelling's Work
- Algorithm
- Case Study
- Simulations





Peer-to-Peer

• Distributed systems without any central control, where all the nodes are equivalent in functionality.

• Overlay Network Topology.

• Lack of central control makes it difficult to develop efficient algorithms for P2P networks.





Peer-to-Peer (cont'd)

• Suboptimal grouping of peers.

• Adapting topology to satisfy certain criteria when peers leave or join the network.

• Work presented is applicable for decentralized unstructured networks only.





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Schelling's Work

- Thomas Schelling is an American Economist.
- In 1960, he suggested that segregated neighborhood is an emergent behavior caused by the desire of people to have a very small percentage of similar neighbors.
- No central control.
- Lack of global picture.
- Variations possible.





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Algorithm

TopologyAdapter

#m_isNodeSatisfied: boolean

+manageTopology(): void
#calculateSatisfaction(): boolean
#executeAdaptation(): boolean
+delayBeforeNextAdaptation(): int

```
void manageTopology() {
  while (1) {
    m_isNodeSatisfied =
        calculateSatisfaction();
    if (!m_isNodeSatisfied)
    {
        m_adaptationResult =
            executeAdaptation();
    }
    sleep(delayBeforeNextAdaptation());
}
```

• calculateSatisfaction() uses a **satisfaction criteria** to determine a peer's satisfaction state.

• executeAdaptation is used to execute the **topology adaptation steps**.

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Algorithm (cont'd)

Satisfaction Criteria	Topology Adaptation Steps
<pre>count(same property) * 100 / count(all) > PNSP where, PNSP is the desired percentage of neighbours with similar property.</pre>	Step 1: drop(neighbour(different property)) Step 2: add(search(same bandwidth))
Same as above	drop(neighbour(different property))

Two set of satisfaction criteria and topology adaptation steps that can be used to bring together peers with similar properties (e.g., bandwidth)





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An Adaptive Network of Hubs

• Super peers used to reduce bandwidth usage (e.g., KaZaA).

• Failure of super peers can be catastrophic.

• Ordinary peers are connected with each other and to more than one super-peer.





Adaptive Network of Hubs (cont'd)

Peer	Satisfaction Criteria	Topology Adaptation Steps
	$H_{max} > count(hub)$ and $count(hub) != 0$	Step 1:
		if (count (<i>hub</i>) > H $_{max}$)
	Where, H $_{max}$ is the maximum number of hubs	drop(neighbor(hub))
	desired as neighbors.	Step 2:
		if (count (<i>hub</i>) == 0)
		add(search(hub))
Normal	count(hubs) > 0	Step 1:
		if (count (<i>all</i>) == <i>maxNeighbors</i>)
		drop(neighbor(<i>any</i>))
		Step 2:
		add(search(hub))





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Simulations

Step 1:

Peer p = **newPeer**(random() =< 0.9 ? "peer" : "hub"

Step 2:

```
p.maxConnections = p.type == "hub" ? 20 : 5
```

Step 3:

p.add(select(3))

- The algorithm on the left is used to create the random network on which the simulations are performed.
- Search operation is performed using a Depth First Search (DFS)

Simulations have been performed on :

•Static Overlay Network.

•Dynamic Overlay network with a a constant influx of peers.

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Static Overlay Network

- Simulations done on four different random networks of 100, and 1000 peers each using H $_{\rm max}$ values from 1 and 10.

• A critical value of H max (called H _{maxCritical}) was observed below which all the peers are not satisfied.





Dynamic Overlay Network

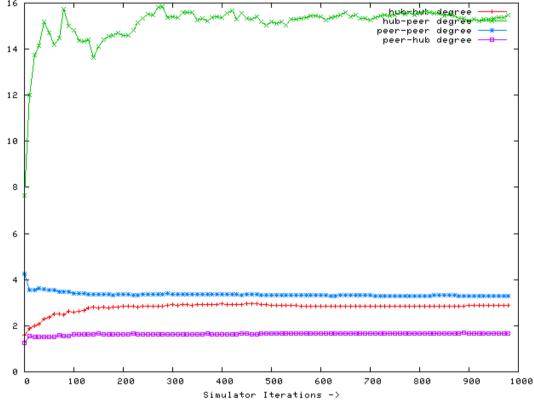
• Simulations start with a small random network of 100 peers and 5 new peers are added every iteration till the number of nodes reaches 5000.

- Used a H $_{max}$ value of 5.





Dynamic Overlay Network (cont'd)



H Set of hubs P Set of peers E $_{H,H}$ Set of edges connecting two hubs

 $E_{P,P}$ Set of edges connecting two peers

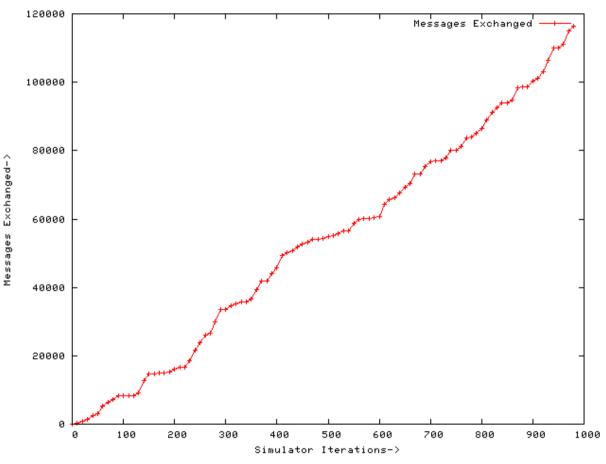
 $E_{\rm H,P}\,$ Set of edges connecting a hub and a peer

hub-hub degree = $|E_{H,H}| / |H|$ peer-peer degree = $|E_{P,P}| / |P|$ hub-peer degree = $|E_{H,P}| / |H|$ peer-hub degree = $|E_{H,P}| / |P|$





Dynamic Overlay Network (cont'd)







Conclusion

• Schelling's Algorithm can be used for topology adaptation.

• An adaptive network of hubs can be created using a variation of the Schelling's Algorithm.





Thank You!



